| Concept/Topic | GPS/CCSSS |
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| Summary for September 6, 2011 | |
| Parameter (numerical summary of the population) | MM1D3 |
| vs. statistic (numerical summary of the sample) | MM2D1 |
| distinction | S-IC2 |
| Distinguish type of data you are working with: | M6D1 |
| categorical vs. quantitative (discrete vs. | S-ID5 |
| continuous) | S-ID6 |
| Appropriate graphs for representing the two types | M6D1 |
| of data: categorical - pie chart or bar graph; | M7D1 |
| quantitative - dotplot, stem and leaf plot, histogram, | S-ID1 |
| boxplot, or time plot (data over time) | |
| Appropriate numerical summaries for | M7D1 |
| representing two types of data: categorical - | MM2D1 |
| counts, proportions, or percentages; quantitative - | S-ID4 |
| mean, median, MAD, standard deviation, range, | |
| interquartile range | |
| Numerical summaries: "How much?" vs. "How | M7D1 |
| many?" | S1-ID4 |
| Three types of distributions: population | MM1D3 |
| distribution, data distribution, sampling distribution | 7.SP3 |
| Describing distribution of quantitative variables: | M7D1 |
| shape, center, spread (variability), gaps, and any | 6.SP.2 |
| outlier identification | |
| Five number summary of positions: min, Q1, | M7D1 |
| median, Q3, max | MM1D3 |
| | 6.SP.5 |
| | S-ID3 |
| Resistant measures: median, IQR | M7D1 |
| | MM1D3 |
| | 6.SP.5 |

| | S-ID3 |
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| Non-resistant: mean, SD, range | M7D1 |
| | MM1D3 |
| | 6.SP.5 |
| | S-ID3 |
| Expected relationship of mean to the median wrt | MM2D1 |
| shape of the distribution: Symmetry: mean = | S-ID.2 |
| median; Left Skew: mean < median; Right Skew: | |
| mean > median | |
| Collecting samples/surveys: role of randomness - | MM1D3 |
| Eliminating (minimizing) bias | S-ID.3 |
| Sample size: larger sample size reduces | MMID3 |
| variability - thus, improving the precision of | S-ID.3 |
| inference | |
| Moving from descriptive statistics to making | MM4D2 |
| inference: Margin of Error (ME). ME allows | S-IC.1 |
| statement about the range of plausible values for the | |
| population parameter. ME measures sampling | |
| variability you'd expect in repeated samples. | |
| Mathematical thinking vs. Statistical thinking | N/A |
| (context, variability) – distinction between | |
| mathematical and statistical questions | |
| z-score: Tells us the number of standard deviations | MM3D2 |
| an observation falls from the mean (and the | |
| direction). Can be used for an type of distribution – | |
| shape of the distribution does not matter. | |
| Empirical Rule: 68% of observations within 1 SD | MM3D2 |
| of mean; 95% within 2 SD; 99.7% within 3 SD of | |
| the mean – distribution is unimodal and symmetric | |
| (bell shaped) | |
| Range/6: gives an estimate of the SD (assume bell | |

| shape distribution) | |
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| Box plot: percentages found within quarters of the | M7D1 |
| boxplot. Central box contains middle 50% of the | S-ID.1 |
| data. We can miss shape, gaps, mean, and possible | |
| bimodal distribution by only examining a boxplot. | |
| z-scores and percentiles: z-scores standardize data | MM3D2 |
| in different units to allow comparisons of relative | |
| standing (how much comparison). We can also use | |
| percentiles to compare data in different units (how | |
| many comparison). | |
| Criterion for identifying possible outliers using z- | N/A |
| scores: If observation more than 2 or 3 standard | |
| devations from the mean, obs. classified as a | |
| potential outlier. [how much criterion] | |
| 1.5*IQR Criterion: If an observation above | N/A |
| Q3+1.5*IQR or below Q1-1.5*IQR, then obs | |
| classified as a potential outlier. [how many criterion] | |
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